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## ALOOL PROCEDURES POR THE <br> CALCULATIOR OF CAUSB QUMDRATURE RULES

The ALGOL procedures given here are described in this isaue in detall in the paper "Generation of Gauss quadrature rules" by Cene H. Golub and John H. Welsch. The procedure CMAssicantwopory generates the cosfficients of the normilied three term recurrence relation for varioun claseical orthogonal polynomala and it also yields the zeroth order, moment. From the first $2 \pi+1$ moments of a weight function, the procedure GEHCRTHOPOLY generates the coefficients of the three term recurrence felation for the normalized orthogonal polynomiala. aiven the coefficients of the three tern recurrence relation, the procedure Gatssounduts computes the abscisass and the weights of the Gavesian type quadrature rule associated with the orthogonal polynonisis by the QR method. Finaliy, driver program is prenented for testing out the procedurea demcribed above.
procedure CLASSICORTHOPOLY(KIND, ALFA, BETA, N, A, B, MUZERO);
value KDID, N, ALFA, BETA;
integer KIND, $N$; real ALPA, BETA, MUZERO;
real array $A, B ;$
begin coment This procedure supplies the coefficients ( $A, B$ ) of the normalized recurrence relation for various classical orthogonal polynomials and the moment MUZERO of its veight function. ;
integer I; real PI, ABI, A2B2;
switch SWT := LBGANDRE, CHEBY, CHEBY2, JACOBI,
LACUURRRR, HEPMLTEE;
PI : $=3.14159265358979324$;
RO to SWT[KIND]
IEGENDRE: MUZERO :=2.0;
coment $P(x)$ on $[-1,+1], \quad \infty(x)=1.0$;
for I : $=1$ step 1 until N-1 do
begin $A[I]:=0 ; B[I]:=I / s q r t\left(4 \times I^{\dagger} 2-1\right)$ end;
$A[\mathrm{~N}]:=0$; go to RETURN;
CHEBYI: MGERO := PI;
comment $T(x)$ on $[-1,1], \omega(x)=\left(1-x^{\dagger} 2\right)^{\dagger}(-.5) ;$
for $I:=1$ step 1 until $N-1$ do
begin $A[I]:=0 ; B[I]:=0.5$ end;
$\mathrm{B}[1]:=\operatorname{sqrt}(0.5) ; \mathrm{A}[\mathrm{H}]:=0$;
EO to RESIURAS ;
CHEBY: MUEERO := PI/2.0;
coment $U(x)$ on $[-1,1], ~ w(x)=(1-x \uparrow 2)^{\dagger} .5 ;$
for I := 1 step 1 until ${ }^{1-1}$ do
begin $A[I]:=0 ; B[I]:=0.5$ end;


